

How do we express differences in stable isotope abundance?

UNIT 2

Fractionation Factor



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 $R_1 = Ca$ Isotope Ratio of calcium carbonate precipitated in water $R_2 = Ca$ Isotope Ratio of the Water



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Fractionation Factor





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Fractionation Factor BASE-LINE

Stable isotope composition is expressed in d (delta) notation:

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$$\delta R \text{ in } \text{\%} = \left[\begin{array}{c} R_{\text{sample}} \\ \hline R_{\text{standard}} \end{array} -1 \right] \times 1000$$

Fractionation Factor

BASE-LiNE Earth

Stable isotope composition is expressed in d (delta) notation:



- the isotope ratio of the HEAVY / LIGHT isotopes in either your sample or a standard i.e. ¹⁸O/¹⁶O, ¹³C/¹²C, ⁴⁴Ca/⁴⁰Ca, ⁸⁸Sr/⁸⁶Sr
- a very small number





Because R_{sample} never deviates much from $R_{standard}$ (natural variation in isotope ratios is limited), [($R_{sample} / R_{standard}$)-1] is a small number.

In order to make the variation more apparent, one multiplies the value by 1000, thereby expressing the value in per mil (parts per thousand; ‰) notation.





Delta notation indicates the isotope ratio in your sample relative to a standard.

If the isotope ratio in your sample equals the standard, $R_{sample}/R_{standard} = 1$ and dR = 0%

The International Atomic Energy Association (IAEA) maintains a set of standards used for stable isotope measurements.





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- are homogenous in concentration and compositon



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- are homogenous in concentration and compositon
- have no alteration during storage
- avoid contamination during sample processing
- work with internal lab standards calibrated to an international standard

Notation



$$\delta^{26}Mg = \left(\frac{\frac{26}{Mg}}{\frac{26}{Mg}}\right)^{\frac{24}{24}Mg_{sample}} - 1 \times 1000$$

$$\delta^{44/40}Ca = \left(\frac{\frac{44}{Ca}}{\frac{40}{Ca}}\right)^{\frac{40}{Ca}}Ca_{sample} - 1 \times 1000$$

$$\delta^{88/86}Sr = \left(\frac{\frac{88}{44}Sr}{\frac{86}{85}}\right)^{\frac{86}{5}}Sr_{sample} - 1 \times 1000$$

Notation



$$\delta^{26}Mg = \left(\frac{\frac{26}{Mg}}{\frac{26}{Mg}}\right)^{\frac{24}{24}Mg_{sample}}{\frac{26}{Mg}} - 1 \times 1000$$

$$\delta^{44/42}Ca = \left(\frac{\frac{44}{Ca}}{\frac{42}{Ca}}\right)^{\frac{42}{24}Mg_{standard}} - 1 \times 1000$$

$$\delta^{88/86}Sr = \left(\frac{\frac{88}{44}Sr}{\frac{86}{85}}\right)^{\frac{86}{25}}Sr_{sample} - 1 \times 1000$$



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 $\delta^{44/40}$ Ca < 0: The light Isotope (⁴⁰Ca) is enriched in the sample relative to the standard.

Ratio and Difference



It is a \approx ln a if a is sufficiently small, it can be used to determine the isotope fractionaton factor from the difference of the different reservoirs:

For example:

 $\Delta \approx 1000 \cdot \ln \alpha_{Calcite-Water} \approx \delta^{44/40} C \alpha_{Calcite} - \delta^{44/40} C \alpha_{Water}$



The δ -Notation is like a <u>material</u> <u>constant</u>, alone it is not telling something about fractiontion

The Δ -Notation describes the process and may depend on environmental factors. It makes the proxy chacracteristics.



Isotope Fractionation Factor - Difference vs. Ratio!

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Isotope Fractionation Factor - Difference vs. Ratio!





Requirements for isotope fractionation:

1. Phase transitions



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- 2. Independent phase reservoirs



Requirements for isotope fractionation:

- 1. Phase transitions
- 2. Independent phase reservoirs
- 3. Incomplete chemical reactions



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